

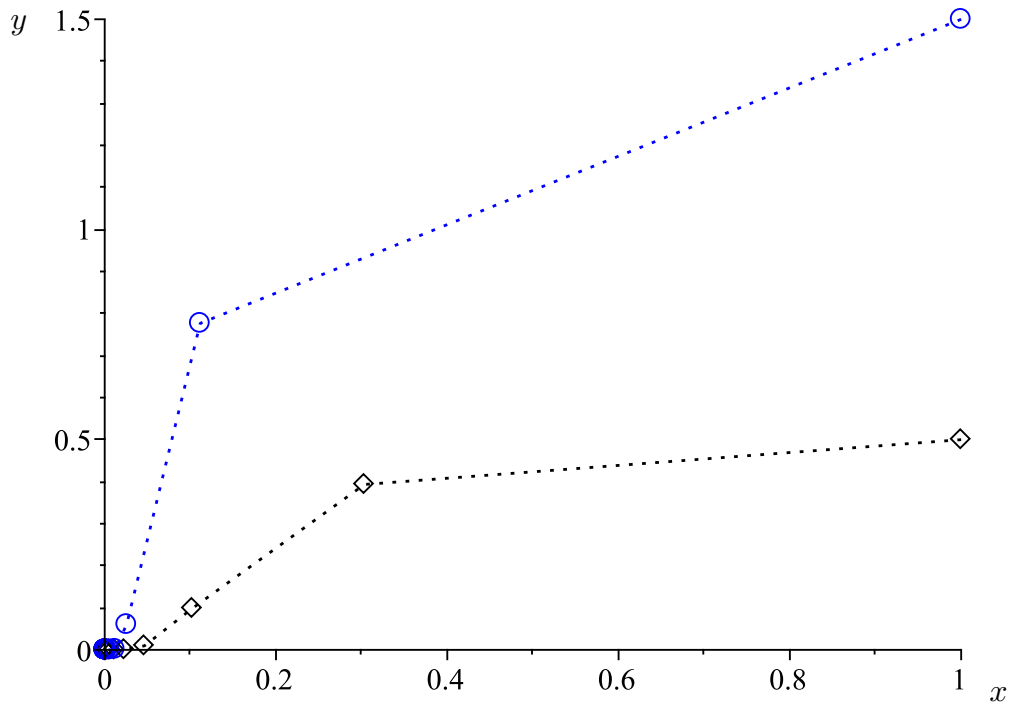
Nicholson-Bailey Model

Consider the Nicholson-Bailey model

$$x_{t+1} = \alpha x_t e^{-y_t}, \quad (2a)$$

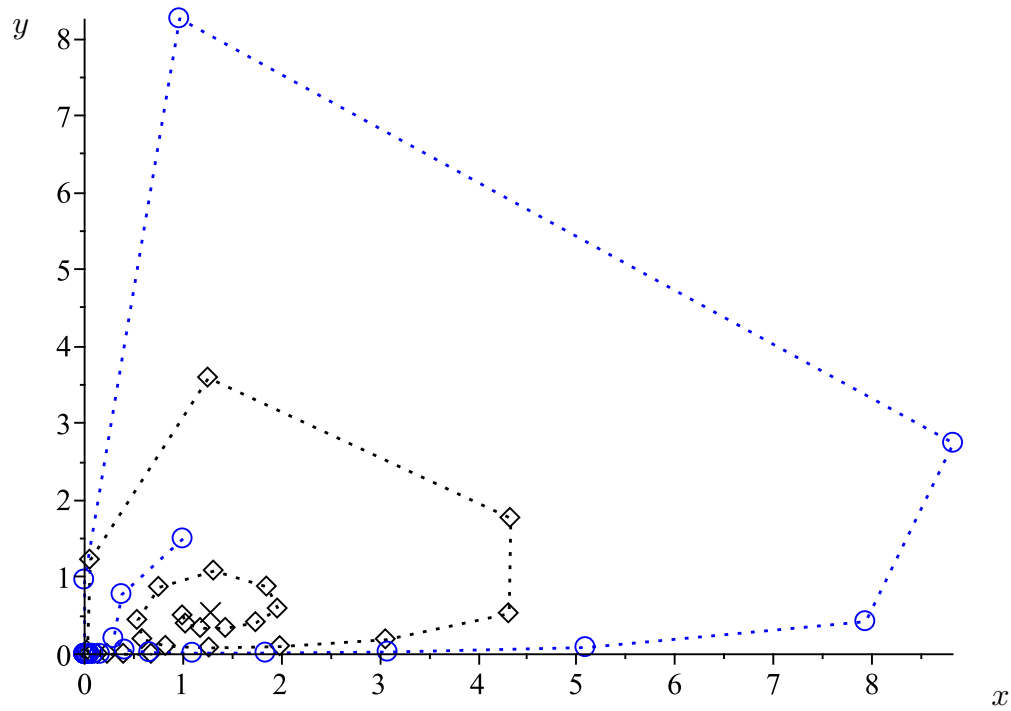
$$y_{t+1} = c(1 - e^{-y_t})x_t. \quad (2b)$$

Trajectories are shown below.



Trajectories of (2) with $\alpha < 1$.

In the case where $\alpha < 1$, the origin is the only fixed point, and all solutions converge to it. (Note that x_0 is always 1 by our scalings.)



Trajectories of (2) with $\alpha > 1$. X marks (x_*, y_*) .

In the case where $\alpha > 1$, the fixed point (x_*, y_*) is unstable, as is the origin, so the populations oscillate about (x_*, y_*) . (Note that x_0 is always 1 by our scalings.)

