

Updates

1. Since classes end today, I cannot require you to complete another homework set. However, these are the problems I would have assigned for homework, so they should give you an idea of the concepts that I consider to be important. Solutions will be posted online this afternoon.
2. I will hold an informal review session for the final Friday, Dec. 13 from 10–12 **in PRN 327**.
3. The final exam will be administered Sunday, Dec. 15 from 11:30–1:30 **in GOR 204**. You will need to bring a small blue book, as well as your laptop.
4. Be sure to log on to <http://www.udel.edu/course-evals/> to complete your UD course evaluations.
5. Teacher evaluations may also be given at ratemyprofessors.com using the QR code at right.



Supplemental Study Material (Revised)

Read sections 10.4, 10.5, and 11.1.

Section 10.4

1. Consider the function

$$f(x) = \begin{cases} \sin x, & 0 < x < \pi/2, \\ 1, & \pi/2 < x < \pi. \end{cases}$$

- (a) (MP) Graph the function for $x \in [0, \pi]$.
- (b) (BH) Compute the Fourier sine series for $f(x)$. Once you have done the integrals, discuss the cases of odd and even n separately, as well as any special cases.
- (c) (MP) Check your answer with Mathematica up to $n = 5$.
- (d) (MP) Plot your answer up to $n = 15$.

Sections 10.5/11.1

2. Consider the following system:

$$\frac{\partial \theta}{\partial t} = \frac{\partial^2 \theta}{\partial x^2}, \quad 0 \leq x \leq 1; \quad \theta(0, t) = \frac{\partial \theta}{\partial x}(1, t) = 0.$$

(a) (BH) Separate variables, and find λ_n , $X_n(x)$, and $T_n(t)$.

